

Development of Customized Software Tool for Design of Cycloidal Drive

Sumedh Salvekar, Mayur Wagh, Ganesh Deshmukh, Nayan Kokare, Dr. V.A. Kulkarni

*Mechanical Department, D.Y. Patil College of Engineering, Akurdi, Pune
Savitribai Phule University, Pune, Maharashtra, India*

Submitted: 15-05-2022

Revised: 20-05-2022

Accepted: 25-05-2022

ABSTRACT – This paper proposes a unique software tool for the design process of cycloidal drive to reduce the design time and cost of the whole process. This paper aims to standardize the design process with the help of an automated software tool. This paper includes the study of existing design methodologies and theoretical analysis as well as design calculations. These analytical equations are then used to develop the software tool where the calculations are performed with a stand-alone user interface developed with MATLAB and the design process is then further automated with the help of SOLIDWORKS API. This helps in a significant reduction in the design time and helps in studying many iterations in a short time. But this method is limited only to the design of cycloidal disc, pins, and housing. The other parts like bearing, nut, bolts have to be selected according to availability in the market which is nearest to design dimensions.

Keywords–

API, Cycloidal Drive, Design, Gear reduction, MATLAB, SOLIDWORKS

I. INTRODUCTION

As robotic applications become more common in today's environment, the need for high precision in the movement of robots is constantly increasing due to increasing competition. High-torque and low-backlash gear drives are needed to achieve these high precision movements. In engineering, a Cycloidal Drive is a system that reduces the speed of an input shaft while reversing its direction. It can do this in a tiny space for high ratios. They accomplish this by employing a rotor with a distinct motion. There are five main parts to a Cycloidal Drive:

1. The cycloidal disk
2. The Output Disk
3. The Input Shaft
4. The Rollers

5. The Main Housing

A "Speed Reducer" is similar to a "Gearbox" in construction and working. Gear reduction is done by gear shafts arranged in a specific arrangement. These shafts have bearings on both ends to support the load and for smooth operation. This whole system is tightly sealed inside a casing and properly lubricated. This reduces the chance of corrosion due to dust and improves the life of the gearbox. Usually, the motors used in machines generate the power at high RPM but at a very low torque value. But in actual applications, a high torque is needed to drive the machine components. Hence a gear drive is used to convert the motor output from high RPM-low torque to low RPM-high torque.

The transmission (or speed) ratio is the ratio between output and input speeds. Gear transmissions are required for 3 basic reasons:

1. Inertia Matching
2. Speed Reduction
3. Torque Amplification

Due to mechanical advantage, low-capacity servo motors can only be used in cases where the inertia is up to 10 times motor inertia. And in cases where high rigidity is needed, we can only apply a load with inertia four times that of motors. The efficiency of motors is highest when they operate at their optimal speed. For most motors, the optimal speed is far higher than their actual working speed. The actual working speed is decided by the working of the system in which the motor is being used. Hence adding a gearbox or speed reducer at the motor output side is necessary to generate the required power output.

A. Significance of Study

The design process of the cycloidal drive is very complex as various parameters like backlash, torque ripple has to be considered during the design process. This study will help to reduce the time taken for the design process and it will also help to find the errors in the design with the help of simulation. The cycloidal drive is widely used in the robotic industry due to its compact size and high reduction ratio.

B. Literature Review

Sensinger et al. [1] gives the comparison between cycloidal drive and harmonic drive. The gear ratio ripple for cycloidal drives was much higher than the harmonic drives. When both of these gearboxes were designed to operate under similar torques, the gear reduction provided by the harmonic drive was significantly more than that of cycloidal drives. Gorla et al. [2] developed a theoretical model to improve the performance of cycloidal drive by predicting the behavior of cycloidal drive during operation. This helped in improving the overall design process. The gearing theory was used to determine the profile of ring gear. In the current market for the cycloidal drive, Sumitomo Heavy Industries and Nabtesco Precision Drives hold the largest share as it is shown in the study presented by Kumar [3], Sumitomo provides both general-purpose as well as precision cycloidal drive. The general purpose cycloidal drive is trademarked as "SM-Cyclo" and precision drive as "FineCyclo".

II. ANALYTICAL STUDY

For the development of software tool, the design process of cycloidal drive needs to be studied and well organized. As compared to conventional drives more research still needs to be done for the analysis of cycloidal gears.

A. Geometry

Symbol	Description	Unit
r_0	Epicyclic Radius	mm
e_0	Epicycloids Eccentricity	mm
r_c	Radius of Fixed Pins	mm
ϕ	Rotational Angle of Epicycle	deg
r_1	Radius of Pitch Circle	mm

Table 1
 Basic Dimension of Epicycloid

To generate an epicyclic curve, a small circle is rolled without slipping on top of another bigger circle. The locus of any fixed point on the small circle during the

duration

of the whole motion generates an epicycloidal curve.

The three main versions of epicycloidal curve are, Normal epicycloid, shortened epicycloid, and extended epicycloid.

The conventional epicycloid curve can be seen in Figure 1.

The formation of the trail will be detailed here. In Figure 1,

the point is tightly joined on the circle with radii to form the profile of the normal epicycloid. In this case, it is assumed

that: $r_0 = e_0$.

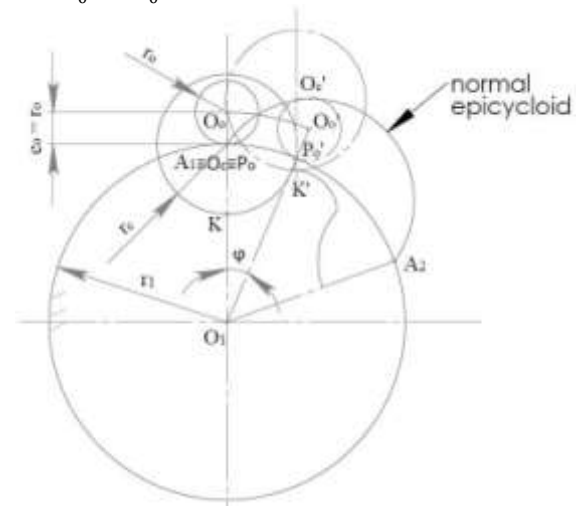


Fig. 1. Normal Epicycloid [5]

B. Gear Terminologies

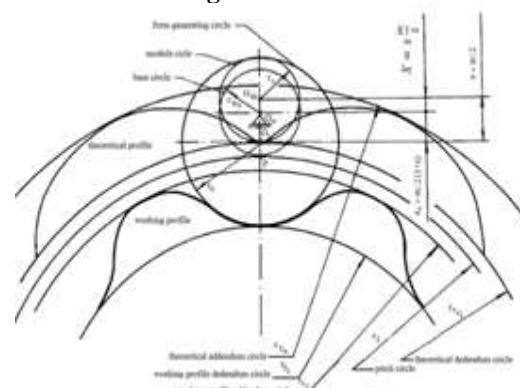


Fig. 2. Gear Terminologies [5]

1) Pitch:

To generate the epicycloidal gear curve, the profile generating circle has to roll without slipping on the perimeter of the bigger circle. This circle is called a pitch circle.

$$p = m\pi \quad (1)$$

2) Theoretical Dedendum Diameter (d_{Tf1}):

The theoretical dedendum circle is the circle at the base of the lobes of the theoretical profile. The section PO_c of the profile cutting device is equal to X , as can be seen from the above diagram 2:

$$d_{Tf1} = m(Z_1 + x) \quad (2)$$

3) Theoretical Addendum Diameter (d_{Ta1}):

$$r_{Ta1} = r_{Tf1} + 2e_0$$

$$\text{where, } e_0 = \frac{m}{2(1-x)}$$

$$\therefore d_{Ta1} = m(Z_1 + 2 - x) \quad (3)$$

4) Working Dedendum Diameter (d_{f1}):

We know that the main working curve of the cycloidal disk is at an offset curve from the theoretical profile. So, by giving the offset equal to the fixed pin radius, we can determine the working profile from the theoretical profile.

$$r_{f1} = r_{Tf1} - r_c \text{ where } r_c = mr_c^*$$

$$\therefore r_{f1} = \frac{m}{2}[Z_1 + X - 2r_c^*]$$

$$\therefore d_{f1} = m[Z_1 + X - 2r_c^*] \quad (4)$$

5) Working Addendum Diameter (d_{a1}):

$$r_{a1} = r_{Ta1} - r_c \text{ where } r_c = mr_c^*$$

$$\therefore r_{a1} = \frac{m}{2}[Z_1 + 2 - X - 2r_c^*]$$

$$\therefore d_{a1} = m[Z_1 + 2 - X - 2r_c^*] \quad (5)$$

C. Determination of Theoretical and Working Profile

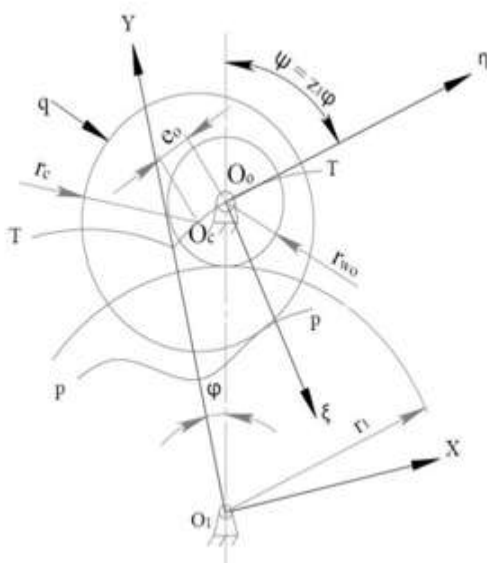


Fig. 3. Theoretical Profile Generation[5]

Steps to Obtain Both Profiles for Cycloidal Gear:

1) The equation for the lobes of the cycloidal disk can be derived by considering a small circle on the circumference of a bigger circle that will rotate in relative motion to each other.

2) Establish two movable Cartesian coordinate systems namely XO_1Y for the epicycloidal circle and the $\eta O_0\xi$ for the profile generating circle.

3) The equation of the profile generating circle with respect to the central co-ordinate from XO_1Y is given by,

$$x^2 + (y + e_0) = r_c^2 \quad (6)$$

where, x and y are the co-ordinates of the point on profile generating circle.

4) Let the radius of the epicycloidal circle be r_1 and r_{w0} for profile generating circle.

5) Let's assume the relative motion between the two circles. The smaller that is the profile generating circle will move along the perimeter of the larger that is the epicycloidal circle without sliding along with rotation about its own centre.

6) Let's assume the profile generating circle rotate with the angle ψ and the epicycloidal circle will rotate with the angle ϕ . The relation between them can be establish by,

$$\frac{\psi}{\phi} = \frac{r_1}{r_{w0}} = Z_1 \quad (7)$$

7) The relationship between the two co-ordinate systems will be given by the following equations,

$$\xi = X\cos(\phi + \psi) - Y\sin(\phi + \psi) + a\sin(\psi)$$

$$\eta = X\sin(\phi + \psi) + Y\cos(\phi + \psi) - a\cos(\psi)$$

8) The relation between the ψ and ϕ is given by $\psi = Z_1\phi$.

9) For determining the working profile, it is necessary to first generate the theoretical curve. For generating the theoretical profile, the offset of fixed pin radius is neglected (*i.e.* $r_c = 0$). Hence the initial co-ordinates of point O_c will become $(0, e_0)$.

10) Then by using the above equations and substituting the values in terms of the four basic parameters discussed in the table 3, we will get the equation of the theoretical profile:

$$X_t = \frac{m}{2} [(Z_1 + 1)\sin\phi - (1 - x)\sin(Z_1 + 1)\phi] \quad (8)$$

$$Y_t = \frac{m}{2} [(Z_1 + 1)\cos\phi - (1 - x)\cos(Z_1 + 1)\phi] \quad (9)$$

11) Whereas the working profile is a curve with an offset of r_c from the theoretical curve. It is obtained by adding the offset value to it given by,

$$X_w = X_t + \frac{r_c Y_t}{\sqrt{X_t^2 + Y_t^2}} \quad (10)$$

$$Y_w = Y_t + \frac{r_c X_t}{\sqrt{X_t^2 + Y_t^2}} \quad (11)$$

By this the final equation of working profile can be written in terms of four basic parameters as,

$$X_w = \frac{m}{2} [(Z_1 + 1)\sin\phi - (1 - x)\sin(Z_1 + 1)\phi + k_1] \quad (12)$$

$$Y_w = \frac{m}{2} [(Z_1 + 1)\cos\phi - (1 - x)\cos(Z_1 + 1)\phi + k_2] \quad (13)$$

$$K_1 = \frac{2r_c^* [(1 - x)\sin(Z_1 + 1)\phi - \sin\phi]}{\sqrt{1 - 2(1 - x)\cos Z_1\phi + 1 - x^2}}$$

$$K_2 = \frac{2r_c^* [(1 - x)\cos(Z_1 + 1)\phi - \cos\phi]}{\sqrt{1 - 2(1 - x)\cos Z_1\phi + 1 - x^2}}$$

III. TOOL DEVELOPMENT

The tool required for the automation is developed with the help of MATLAB where all the analytical equations are solved for the given set of values. These equations provide the required dimensions for the actual CAD modelling and Analysis. To automate the design process further, a specific program is developed using Solidworks API and Visual Basics for Application (VBA). It uses the data generated by MATLAB and generates the CAD models for cycloidal Disk, Gear Housing and Output Disk.

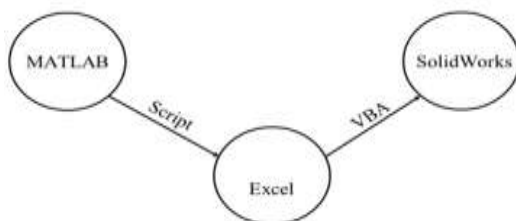


Fig. 4. Data Flow Diagram

IV. CASE STUDY

For this case study, following parameters are given as an

input to the system. On the basis of this parameters, the design of major components of cycloidal drive will be done. Cycloidal disk and the housing are the two most important parts of cycloidal gearbox. All the dimensions of these two parts are directly dependant on the basic input parameters. This makes it easier to perform many iterations without affecting the other parts. The remaining parts can be then derived from the dimensions of this two:

- 1) Input torque: 1.83 Nm
- 2) Gear Reduction: 19
- 3) Module: 5
- 4) Modification factor: 0.3
- 5) Coefficient of radius: 1

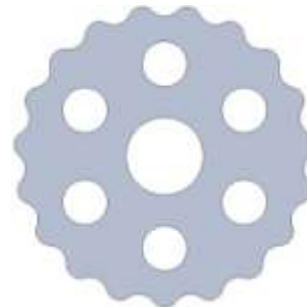


Fig. 5. Cycloidal Disk

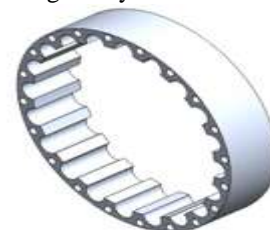


Fig. 6. Gear Housing

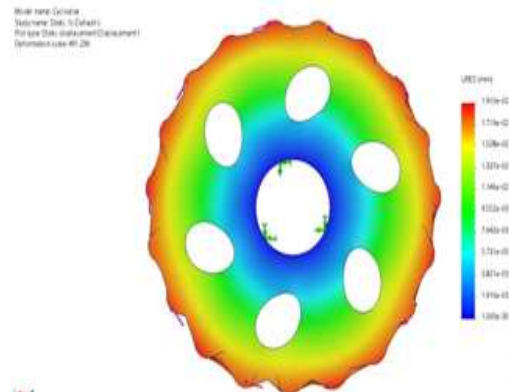


Fig. 7. Twisting in Cycloidal Disk

V. CONCLUSIONS

This project urges that the tool developed using SolidWorks API is working properly for all variable data and dimensions given this tool helps to reduce design time, reducing calculation time required for calculating dimensions of cycloidal drives. The tool developed is cost-effective and reduces the time of the design process by reducing the complexity of equations which in return reduces the overall cost of the product.

REFERENCES

- [1] Jonathon W. Sensinger and James H. Lipsey. "Cycloid vs. harmonic drives for use in high ratio, single stage robotic transmissions". In: 2012 IEEE International Conference on Robotics and Automation. 2012, pp. 4130–4135. DOI: 10.1109/ICRA.2012.6224739.
- [2] Carlo Gorla et al. "Theoretical and Experimental Analysis of a Cycloidal Speed Reducer". In: Journal of Mechanical Design 130.11 (Sept. 2008).
- [3] Naren Kumar. "Investigation of drive-train dynamics of mechanical transmissions incorporating cycloidal drives". In: (2015).
- [4] "Traditional versus improved designs for cycloid speed reducers with a small tooth difference: The effect on dynamics". In: Mechanism and Machine Theory 86 (2015), pp. 15–35.
- [5] Alipiev, Ognyan. (1988). GEOMETRY AND FORMING OF EPI- AND HYPO-CYCLOIDAL TOOTHED WHEELS IN MODIFIED CYCLO TRANSMISSION (Part 2 - Methodology for calculating).
- [6] Benedetto Allotta et al. "Redesigning the cycloid drive for innovative applications in machines for smart construction yards". In: World Journal of Engineering (2020).
- [7] Logan C Farrel et al. "Cycloidal Gear Train In-Use Efficiency Study". In: International Design Engineering Technical Conferences and Computer and Information in Engineering Conference. Vol. 51814. American Society of Mechanical Engineers. 2018, V05BT07A034.
- [8] R. Dolchinkov et al. "SYNTHESIS OF HYPOCYCLOIDAL GEARS". In: May 2003.
- [9] Joong-Ho Shin and Soon-Man Kwon. "On the lob profile design in a cycloid reducer using instantaneous velocity center". In: Mechanism and Machine Theory 41.5 (2006), pp. 596–616.
- [10] Mirko Blagojevic et al. "A new design of a two-stage cycloidal speed reducer". In: (2011).
- [11] Xin Li et al. "A new cycloid drive with high load capacity and high efficiency". In: J. Mech. Des. 126.4 (2004), pp. 683–686.
- [12] Biser Borislavov, Ivaylo Borisov, and Vilislav Panchchev. Design of a planetary-cycloidal speed reducer: cycloid stage, geometry, element analyses. 2012.
- [13] Yu I Brovkina, AN Sobolev, and AY a Nekrasov. "Research of characteristics and parameters of cycloidal gear". In: International Conference on Industrial Engineering. Springer. 2018, pp. 1169–1179.
- [14] FRANCO Concli, Lorenzo Maccioni, and Carlo Gorla. "Lubrication of gearboxes: CFD analysis of a cycloidal gear set". In: WIT Trans. Eng. Sci 123 (2019), pp. 101–112.
- [15] Chiu-Fan Hsieh. "Traditional versus improved designs for cycloidal speed reducers with a small tooth difference: the effect on dynamics". In: Mechanism and Machine Theory 86 (2015), pp. 15–35.
- [16] M Wikło et al. "Output torque ripple for a cycloidal gear train". In: Proceedings of the Institution of Mechanical Engineers, Part C: Journal of Mechanical Engineering Science 233.21–22 (2019), pp. 7270–7281.
- [17] Manfred Chmurawa and Bogdan Warda. "Prediction of life of rolling pairs in cycloidal gear design". In: Mechanics and Mechanical Engineering 9.2 (2005), pp. 77–88.
- [18] Bing Kui Chen et al. "Gear geometry of cycloid drives". In: Science in China Series E: Technological Sciences 51.5 (2008), pp. 598–610.