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Experimental And Numerical Studies on the Shear Stability of Ship's Thin Plate

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ABSTRACT
The following project was conducted under the guidance of Dr. Shashikala NIT, Calicut. The stability of thin plate plays an important role in the design and strength check of ship structure. In order to study the shear stability of ship's thin plates, in-plane shear buckling tests were carried out using a picture frame fixture and a 3D full-field strain measurement system. The critical buckling load, full-field displacement/strain information, and load-displacement curve were obtained. The finite element model with the frame fixture was established based on ABAQUS, with the eigenvalue buckling analysis and nonlinear buckling analysis being carried out to obtain the mechanical response information of the buckling and post-buckling of the ship's thin plate. The effectiveness and accuracy of the numerical simulation method are verified by comparing the numerical simulation with the experimental results. On this basis, the critical buckling load obtained by shear test, numerical simulation, and theoretical calculation is analyzed, and the function of the frame shear fixture and its influence on the critical buckling load are defined. The research in this paper provides a useful reference for the testing and simulation of in-plane shear stability of ship's thin plates.
Keywords: shear stability, ship's thin plate, full-field strain measurement, buckling, nonlinear

I. INTRODUCTION

The stability of the plate has always played an important role in the design and strength check of the ship's structure. A large number of marine accidents show that the damage of ship structure is usually not caused by insufficient strength, but due to the loss of stability. When the overall longitudinal bending or torsion of the hull occurs, the hull plate may be subjected to axial compression load or shear load. When the axial compressive stress or shear stress reaches a certain value, the hull plate will be unstable [1-2]. The stability of thin-walled structures has always been a focus of scholars at home and abroad [3-456]. Previous studies have focused on buckling and post-buckling of the stiffened plates. In literature [7], the trigonometric function was used to simulate rotational restraining rigidity of stiffener, and Ritz method was used to establish an analytical model for the local skin buckling problem of riveted stiffened panels under uniaxial compression. In literature [8], a rectangular plate model with inclined stiffener was used to simulate the pure shear stress state of the wedge-shaped webs, and its elastic buckling was numerically analyzed. In literature [9], eigenvalue buckling analysis and nonlinear buckling analysis were performed for marine composite stiffened plates based on a numerical method and finite element calculation. X. Shi (2005) used the commercial finite element software, NASTRAN, to analyze the stability of composite panels[10]. Based on mechanical experiments and numerical simulation, Y. Peng, et al.(2020) studied the buckling and post-buckling behavior of the al-li alloy stiffened panel under shear load[11]. In the study of plate stability, Roberts and Azizian (1984) used the finite element method to analyze the elastic buckling of a square plate with holes under in-plane loads. In literature [12], the ABAQUS software was used to analyze the ultimate strength of the hull panel model under axial pressure. In literature [13], the elastic buckling and postbucklingbehaviors of unstiffened panels under complex stress states were analyzed and compared with the empirical formula and American Bureau of Shipping specification. L. Sun (2014) applied near field dynamics to the analysis of the stability of metal plates under axial compression[14]. In literature [15], the Galerkin method was used to solve the elastoplastic buckling problem of rectangular plates under shear stress. In literature [16], the buckling problem of anisotropic rectangular plate under shear stress was solved by differential quadrature method. In literature [17], the differential equation of transverse displacement function in shear buckling of rectangular plate was established, and the determinant of coefficient matrix of homogeneous linear algebraic equation was simplified by using the point distribution method and antisymmetric characteristics of buckling deformation, and the analytical solution of critical buckling load of rectangular plate was obtained. Pham (2017) studied the shear buckling of a plate with holes by using the finite strip method and proposed an approximate formula for the shear buckling coefficient of a square plate with central circular holes and square holes[18]. Local rectangular thin plates under shear stress are widely used in engineering structures such as ships and buildings and buckling instability of local plates has become one of the main forms of engineering structural failure. In the past, there had been many studies dedicated to tensile, compressive, and bending load conditions. It is difficult to test the buckling instability of local rectangular plates under shear stress. The Galerkin method, differential quadrature method, analytical method, and finite element method were mainly used to solve the problem. The analytical solutions need programming operations. Finite element simulation [19-20] can avoid complicated programming for buckling analysis, but the calculation accuracy is limited to the design accuracy of the model and boundary conditions. Additionally, these methods need to be supported by mechanical experiments. Therefore, this paper focuses on the buckling characteristics of a ship's thin plates under in-plane shear loading by means of mechanical experiments and numerical simulation. A picture frame fixture was designed and manufactured, and a diagonal tensile method was used to conduct the shear test on square thin plates. In the numerical simulation, eigenvalue analysis method and nonlinear analysis method were used to study the buckling behavior of ship's thin plates. The effectiveness of the numerical method was expected to be verified through the comparative analysis of mechanical experiments and numerical simulation. Meanwhile, the effect of the frame fixture and its influence on the critical buckling load were studied. The experiment and numerical simulation method will provide an effective reference for the study of in-plane shear stability of ship's thin plates.

SHEAR TEST

The ship's side plate is the main component of hull structure to resist shear load and must meet the requirements of shear stability. Generally, the boundary of the hull plate is supported by strong structures (such as hull longitudinal, bulkhead, etc.). When the supporting unit on the opposite side of the hull plate is relatively displaced, the hull plate will be subjected to shear load. Because the stiffness of the boundary support element is much larger than that of the plate, even if the plate element loses stability, the deformation of the support element on the opposite side along the edge of the plate is very small. It can be considered that the four sides of the plate are subjected to uniform shear force. Based on this working mode, the restraint condition of the support element on the thin plate should be fully considered in the shear stability test.

TEST PLATE

The thin plate is one of the most common structural plate elements in the ship structure. Among them, the square with a side length of 310 mm is the shear area, and there are loading areas with a width of 40 mm around the shear area. There are multiple holes in the loading area to ensure uniform force. The thickness of the test plate is 1 mm, the material is ordinary marine steel, the elastic modulus is 210 GPa, and the Poisson's ratio is 0.3. The stress-strain relationship of the test material was measured by tensile test.

INSTRUMENTATION/EQUIPMENT DETAILS AND TEST PROCEDURE

The shear buckling test of the thin plate is a difficult structural test, which requires a reasonable fixture to transfer the shear load to the test plate. In this paper, a picture frame fixture using a diagonal tensile method was adopted. The four sides of the test plate are bolted to four pairs of shear plates, and the shear plates are hinged together at the top. When the testing machine is loaded, the tensile force P, provided by the testing machine, is decomposed into T xy along the shear test was carried out on a WDW100-100C electronic universal test machine, with a maximum load of 100 kN and a continuous loading rate of 5 mm/min. In order to accurately measure the deformation of the plate surface, the XTDIC-CONST 3D full-field strain measurement and analysis system was applied to the test process. The surface of the test plate was sprayed with primer and speckle in advance, so that the change of displacement field and strain field on the surface of the test plate could be measured in real time.

NUMERICAL SIMULATION

BUCKLING ANALYSIS METHOD

Eigenvalue Buckling

Linear buckling is also called eigenvalue buckling analysis. The buckling loads and buckling modes of the structure can be obtained by calculating the eigenvalues of the singular stiffness matrix. The corresponding buckling load can be determined by the following linear generalized eigenvalue equation

$$([K_0] + \lambda [K\sigma]\{U\}=0$$

Where, $[K_0]$ is the linear stiffness matrix of the structure, $[K\sigma]$ is the geometric stiffness matrix of the structure, λ is the load scaling factor, and {U} is the lateral displacement vector. It can be seen from Equation (1) that the linear stability problem of the structure is the eigenvalue problem, and the corresponding critical load and instability mode can be obtained by solving the eigenvalue and eigenvector.

NONLINEAR BUCKLING

The nonlinear buckling theory is to establish the equilibrium equation on the structure configuration which changes constantly during the loading process. For the imperfect plate with initial geometric defects or the laminate with tension-bending coupling effect, that is, under in-plane loading, the transverse displacement will appear from the beginning of loading and become a nonlinear bending problem. The governing equation is as follows:

$$K_T\Delta U= \Delta P$$

Where, K_T , is the tangent stiffness matrix of the structure at a certain increment step, ΔP is the current external load increment of the structure, and ΔU is the current displacement increment of the structure.

FINITE ELEMENT MODEL

In order to effectively simulate the test conditions, the finite element model was established based on ABAQUS. The plane continuous shell element S4R was used in test plate and fixtures. The S4R is a 4-node first order reduction integral element, which uses linear interpolation methods, allows finite film strain and large rotation angle, considers the influence of shear deformation, and is suitable for geometrical and material nonlinear analysis. The constraint conditions between the four groups of shear plates and the loading area of the test plate were set as tie binding constraints to simulate bolted connection. The hinge connection units were used to simulate the effect of the hinge connection between the shear plate shaft hole and the pin.

II. RESULTS AND DISCUSSION

LOAD-DISPLACEMENT CURVES

The load (P)-displacement (D) curve of the ship's thin plate, where D represents the displacement difference between the upper and lower diagonal points of the plate. As can be seen from the graph, the trend and results of the experiment and simulation are consistent. By comparing and analyzing the test and simulation results, it is found that as the load increases, there are obvious linear segments in the test and simulation curves, and the linear segment of the simulation curve has a longer duration and a greater slope. When the load increases to point A (P ≈ 15.04 kN), the structure produces buckling instability, the slope of load-displacement curve changes suddenly, and the structure stiffness begins to decrease. As the load continues to increase, the load-displacement curve remains approximately linear until the load increases to point B (P ≈ 26.02 kN), at which time the maximum stress in the plate exceeds the yield limit of the material, and the structure begins to exhibit plastic deformation. With the increase of the plastic deformation area, the linear relationship of the loaddisplacement curve disappeared. When the load increases to point C (P ≈ 35.68kN), the slope of the curve changes greatly, and the structure stiffness decreases. After that, the slope of the curve changed relatively gently. Only when the load increases to point D (P ≈ 62.30kN), a small abrupt change occurs, and the structure stiffness decreases again. Based on the simulation curve, the key moments of the four slope sudden changes of A, B, C, and D can be extracted. In order to further verify the validity of the finite element results, the test results of the above four key moments under the same load are analyzed emphatically.

FULL-FIELD DISPLACEMENT AT CRITICAL MOMENTS

Based on the DIC full-field strain measurement system, full-field displacement information at the four key moments of A, B, C, and D during the shear test were extracted and compared with the numerical simulation. It is found that the displacement distribution of finite element simulation and experimental measurement results are basically the same. The normal displacements of the horizontal and vertical diagonals extracted from the experiment and simulation are shown in Fig. 8. The numerical simulation results of the four

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key moments A, B, C, and D are basically consistent with the experimental values, and the curve change trend is consistent. On the vertical diagonal, there is a half wave symmetric along the horizontal diagonal of the plate, and the displacement of the center point of the wave is the largest and gradually decreases towards both ends. There are three half waves on the horizontal diagonal, the waveform is symmetrical along the vertical diagonal, there is a large wave at the center point, and there are two wavelets symmetrically on both sides. The amplitude of the three waves increases as the load increases.

CRITICAL BUCKLING LOAD

Usually, the load at the first abrupt slope of the load displacement curve is taken as the buckling instability load (Pcr) of the structure. The buckling time of the test plate can also be observed and judged by the strain bifurcation method, that is, the load at the bifurcation point of the strain-load curve is used as the critical buckling load of the structure. In order to obtain a more accurate buckling instability load,are designed on the front and back sides of the plate. The vertical and horizontal diagonal lines of the plate are divided into eight equal parts. Considering the symmetry of the test plate, the equal points in the upper left quarter region are taken, and the corresponding strain-load curve was extracted. The points 0, 3, 4, 5, and 9 are located on the front of the plate, while the points 0', 3', 4', 5' and 9' are on the back of the plate.

INFLUENCE OF THE PICTURE FRAME FIXTURE

In the study of the shear stability of thin plates, we usually think of obtaining the buckling and post-buckling performance of the plates when it is subjected to pure shear load. However, in the actual test, an auxiliary fixture must be used. The fixture will also deform during the stress process. Therefore, when the plate buckles, the load measured by the testing machine is not the true buckling load of the plate. The fixture is related. That is to say, in the shear test process, the picture frame fixture not only transmits the load, but also participates in the deformation of the structure, and shares part of the load, so the load recorded by the testing machine includes both the load that causes the plate to buckle, and the load that causes the deformation of the fixture. Therefore, the critical buckling load of the plate after using the fixture is greater than that under pure shear condition. To this end, the influence factor λ of picture frame fixture is proposed to characterize the influence of the fixture on the critical buckling load of the thin plate, and the relationship between numerical simulation and theoretical calculation or finite element simulation without fixture is established by λ.

III. CONCLUSIONS

Based on mechanical experiment and numerical simulation, the in-plane shear stability of ship's thin plates was investigated, the buckling and post-buckling behavior, and the influence of the picture frame fixture on the shear instability of the rectangular thin plate were explored. Themechanical response characteristics of load-displacement curves, load-strain curves, critical buckling loads, full-field deformation, and influence factor of the picture frame fixture were obtained. By comparing the numerical simulation with the mechanical tests, the following conclusions are drawn: Based on ABAQUS, eigenvalue buckling analysis and nonlinear buckling analysis were carried out on the finite element model with the picture frame fixture. The critical buckling load, full-field displacement, and strain obtained by simulation are in good agreement with the results of full-field strain measurement system of DIC, which proves the effectiveness and accuracy of the numerical simulation method. By comparing and analyzing the critical buckling load obtained by the three methods of shear test, numerical simulation, and theoretical calculation, it is concluded that the critical buckling load obtained by eigenvalue analysis method is higher than the test result, because the nonlinear and structural defects of the structure are not considered. The nonlinear buckling analysis method makes up for the shortcomings of linear buckling analysis, so the critical buckling load obtained is the closest to the test result. The error between the theoretical calculation result and the test value is the largest, because the theoretical formula is for the ideal shear condition with uniform shear force on the four sides, while the experimental and simulation results both consider the influence of the picture frame fixture. The stress field provided by the picture frame fixture is quite different from that of pure shear. After the picture frame fixture is adopted, the buckling load of the structure will be greater than the buckling load of the thin plate under the ideal shear condition. Considering that the stability of thin plate is sensitive to boundary condition, the influence of the picture frame fixture must be considered in the numerical simulation of the in-plane shear stability test to ensure the validity of simulation result. In this paper, the influence factor λ of the picture frame fixture is defined to represent the influence of this fixture on the critical buckling load of the thin plate, and the relationship between numerical simulation and theoretical calculation or finite element simulation without fixture is established through λ.

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