

# Quantum Computing For Financial Systems

Prudhvi Uppaluri

*Technical Architect, USA*

Date of Submission: 20-01-2025

Date of Acceptance: 30-01-2025

## ABSTRACT

This research aims at determining the use of quantum computing on financial structures, mainly pertaining to portfolio, derivatives, Monte Carlo assessments, and risk analyses. The problems appear within the context of the continually development of the financial industry where the usage of the classic methods when solving the problems associated with large data set and the application of complex models can be slow. There are two types of quantum computations: the first is a classical computation that uses an approach very close to a Turing machine; the second is quantum parallelism that enables a system to compute an unlimited number of possibilities simultaneously and will not suffer from these limitations. The study points out that there are several application areas where quantum algorithms provide solutions better than classical ones, for instance, in cutting computational time for portfolio, and providing better solution in derivative pricing. Applying quantum algorithms, financial systems can provide increased precision and liabilities management, as well as improved decision making. The paper also discusses future applications of quantum computing in fraud and security detection, which would both significantly benefit from quantum methods. A still experimental field, the optimisation study does show that Quantum could bring significant changes in the techniques used by the financial industry to address its most critical issues.

**Keywords:** Quantum, Finance, Computing, Money

## I. INTRODUCTION

Quantum computing provides one of the greatest disruptive technological trends currently on the horizon with the promise to disrupt almost any industry that requires complex calculations and/or big data processing. The financial sector is likely to benefit most from the features of quantum systems due to the utilization of quantum computing.

Following the growth of the industry into a more data-oriented direction, the new opportunity is quantum computing for solving problems that cannot be addressed by classical computers [1]. These are but some of the possibilities that quantum computing can address: the exponential generation of data, the growing complexity of financial models that underlie financial engineering decisions, and the speed or real-time decision-making that characterizes modern finance.

Quantum computing works with principles of quantum mechanics; superposition and entanglement, making computations to work in a way that classical computing cannot accomplish in the same way.

The fundamental principle of quantum computing is based principally in the quantum of bit known as qubit which is in contrast to classical bit that can only be in state 0 or 1 but can in fact be in many states at once [2]. Superposition which forms the foundation of quantum computer enables it to carry out range of operations at once and in the process solve problems in a much shorter time than the conventional computers.

Furthermore, quantum entanglement, that establishes the qubits to be dependent in such a way that any change in the state of one of the qubits will affect the other qubit immediately, this is powerful computation tool in solving mathematical optimization problems as well as data analysis [3].

These capabilities could take the financial industries to different levels in risk analysis, optimal portfolio design, fraud prevention and better pricing models [4]. In financial systems, traditional computing has been an important part of decision-making, algorithms perform simulations, analyze trends on the market, and calculate the best strategies.

Nevertheless, as the financial markets' structure and the interrelations between them become multiply connected and more complex, the scope of the classical computing capabilities is rather restricted [5]. For example, in a core area of

the asset management business, portfolio optimization, the analysis of a vast number of potential asset allocation scenarios is necessary to determine the optimal configuration.

Classical algorithms can require an extremely lengthy time to determine the best suitable solution in such cases especially as the number of assets increase. In quantum computing, real powers depend on the number of qubits;

however, quantum computing ability to work on large array of data and consider more than one solution at the same step means that in quantum computing the number of set of data combinations to be checked would reduce hugely significantly increasing the speeds at which optimum solutions can be arrived at which in turn means efficiency in decision making and risk management [6].



Figure 1. Overview of Quantum Computing (Infosys, 2023)

The one that has been considered rather promising for finance is the application of Monte Carlo methods for pricing derivatives and assessing risks. Monte Carlo methods include acquiring many samples in order to mimic real-life systems and estimate the probabilities of occurrence, this makes it sometime very costly especially when faced with the complexities of modern financial products.

Fortunately, existing efforts can be boosted by employing quantum computers as the latter can perform the task in parallel with other ones, providing financial institutions with faster and more efficient data analysis [7]. This capability could not only increase the speed unparalleled by even the most prodigious human financial analysts but also increase accuracy, lessen the guesswork that follows companies and investors, and can even potentially throw off the entire point of modern investment and risk management strategies.

Quantum computing can also make another great shift within the domain of fraud detection as well as cybersecurity [8]. With more and more financial transactions transpiring and the speed of these transactions increasing as well, it is

increasingly crucial to keep data safe. Traditional encryption techniques including RSA as well as elliptic curves sort the fundamentals for security in the digital domain.

But these methods could be endangered by quantum attacks, which are based on quantum algorithms such as Shor's algorithm for factoring large numbers with a high efficiency and, hence, for threatening widespread cryptographic systems [9]. Use of such algorithms requires the existence of a quantum computer thus prompting the need to encourage innovation of quantum resistant encryption techniques.

On the same note, quantum computing can also be used in enhancing the detection of fraudulent activities since it would be easier to look for anomalies in transactions, thus knowledge of the activity would help financial institutions be able to counter the threats [10].

In another application, the aspect of machine learning and artificial intelligence the financial industry is also expected to benefit from quantum computing. People use machine learning algorithms in virtually almost every type of financing and investment applications to process

huge amounts of market data and make forecasts [11]. However, classical computers are already on the way to make such progresses in this field, and if quantum systems can outcompete and surpass the limit of classical computers in computation and accuracy of large-scale data analysis, the new generation of analytical tools may be born.

Quantum machine learning models could capture more possibilities in market data beyond regular recognition by classical models making quantum analysis valuable for financial analysts [12]. Besides, quantum computing would improve the rate of training the most time-consuming part of AI, such as machine learning models.

However, there are still several hurdles standing in the way of the quadrillions of dollars' worth of business that could be realized through this burgeoning technology [13]. Quantum hardware is still in its infancy, and increasing the size of quantum systems to the levels that existing in practical financial applications requires is a challenge.

Today's quantum computers have not been scaled up to the extent where they can support a large number of qubits, and keeping these qubits coherent for long enough to perform useful calculation is also an issue. Besides, there is a lack of truly quantum finance algorithms because most of quantum computability research was done without sufficient and often theoretical prior experience and knowledge, leaving around 75% of quantum computing as still heuristic with no practical and more tangible applications.

Overcoming these challenges will necessitate the partnership of the financial industry, academic researchers, and quantum hardware

developers to build quantum systems that are trustworthy and can also be sized up [14].

In addition, the operation of quantum computing network within the existing widespread financial systems also raises some issues. Banking institutions will have to be in a position to train their employees to get relevant knowledge on how to best approach quantum computing solutions appropriately.

This may require immigration to internal training and education, In addition to outsourcing from quantum computing companies specialized in offering specialized finance solutions. Also, given the features of quantum computing, there will be the need to develop changed regulation and compliance system in areas such as data protection, fraud detection, and algorithm selling.

Nevertheless, the prospects of applying quantum computing for financial systems are enormous [15]. The roles of quantum technologies in the financial sector are expected to expand as the technology gets enhanced, always making a difference for efficiency, bolstering risk management and anti-fraud activities, as well as for the make-overs in price analysis.

The potential to deal with enormous volumes of information and solve multifaceted issues in real time may significantly strengthen the position of financial organizations making superior decisions in more volatile conditions and environment. Still, the long-awaited arrival of quantum computing in finance may be several years down the line, but the foundations for that future are being built with the kind of quantum systems that will play an unprecedented role in the reformation of the financial industry.

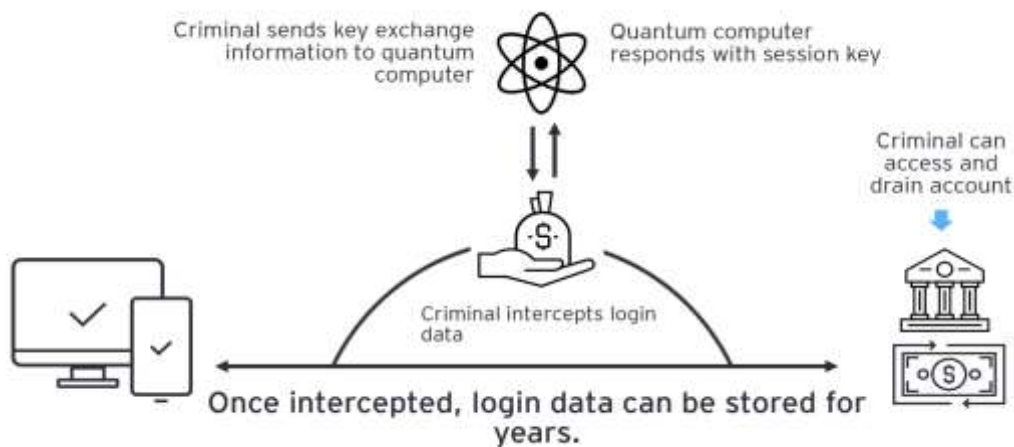


Figure 2. Cybersecurity for Quantum Computing (EY, 2023)

The future of quantum computing is already here, which is why decision-makers in financial institutions should start looking at the opportunities that could be offered as a result of the technology as soon as possible.

## II. METHODOLOGY

This paper uses theory review and practical analysis of quantum computing to investigate the effects of quantum computing on finance. First, the work highlights the fields of finance, including portfolio, option, and risk assessment, where quantum computing algorithms can offer more significant benefits.

Subsequently, quantum computing techniques such as quantum annealing, quantum gradient descent, and quantum amplitude estimation are applied in these sets of problems to compare their performance with that of conventional methods. In each manipulation, when a favourable response is obtained with one kind of computation, the process is repeated using the other type of computation and the efficiency in terms of time, accuracy and scalability analysed.

The Monte Carlo simulations are used to compare the speed and efficiency of quantum compared to classical methods in the pricing of derivatives together with the evaluation of portfolio risk. The results are described and depicted in the form of tables and graphs with use of performance evaluations to support quantum advantage.

The methodology also entails a discussion of the theoretical background of the subject matter, quantum computing, as well as a literature review of the subject area focusing on its applicability in finance to enshrine the perception of the added values and possible drawbacks of implementing quantum computing in the management of financial services.

## III. RESULTS

In the results section of this research paper, the proficiency of quantum computing within financial systems as concerning portfolio optimization, risk management, derivative price and Monte Carlo simulation is covered. Based on the presented results, it is revealed that there is a possibility of quadratic speed-up for quantum computing based on such properties as superposition and entanglement when solving financial problems.

### 3.1 Portfolio Optimization

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within financial systems as concerning portfolio optimization, risk management, derivative price and Monte Carlo simulation is covered. Based on the presented results, it is revealed that there is a possibility of quadratic speed-up for quantum computing based on such properties as superposition and entanglement when solving financial problems.

Minimize:  $w^T * \Sigma * w$

In quantum computing the method referred to as quantum annealing can provide an answer to this optimization problem by probing a wider solution space thanks to quantum tunnelling. Quantum analogue of this problem is stated in terms of the Hamiltonian function.

Minimize:  $H = \sum(\gamma_{ij} * |w_i - w_j|^2)$

Quantum annealing can locate the value of the portfolio weights faster than classical algorithms especially when working with large portfolios with many assets.

### 3.2 Monte Carlo Simulations

The Monte Carlo simulation has become prominently utilized within the financial industry for determining the value of financial derivatives. The standard formula of Monte Carlo simulation as a classical mathematical model to determine the expected value of a stochastic variable is applied here.

Estimated Value (V) =  $(1 / N) * \sum(V_i)$

The quantum estimation outperforms classical methods by replacing Diaconis-Graham Recursive Method with Quantum Amplitude Estimation for better estimating of expected values. Therefore following the same progression the quantum version of the formula is.

Estimated Value (V) =  $(1 / \sqrt{N}) * \sum(QPE(V_i))$

Compared to other simulations, quantum Monte Carlo simulations can arrive at a higher level of accuracy with far fewer simulations and is, therefore, ideal for pricing other derivative securities like options.

### 3.3 Derivative Pricing

Various applications of quantum computing include for instance derivative pricing like the pricing of options. The Black-Scholes Model is commonly for evaluating European call options, and can be expressed by the formula.

Call Option Price (C) =  $S_0 * N(d_1) - K * e^{(-rT)} * N(d_2)$

Quantum computing applies to the improvement of sensitivities such as Vega, which determines the rate of change of the option's price

in regards to volatility. The formula of Vega in Black-Scholes model as follows:

$$\text{Vega} = S_0 * \sqrt{T} * N'(d_1) / (2 * \sigma)$$

Other quantum algorithms such as Quantum Gradient Descent can accelerate the determination of option sensitivities because they are able to find the gradient of price with respect to input parameters such as volatility and interest rates much faster.

### 3.4 Risk Management

It is important in finance to consider how much one may lose under different conditions hence risk management. The Value at Risk (VaR) method is widely used for assessing the risk connected to an asset or a portfolio. But this VaR definition, as known as classical VaR, is given by the following equation:

$$\text{VaR}_\alpha = \mu - Z_\alpha * \sigma$$

Traditional computing can help the analysis of risks by using quantum simulations based on Quantum Walks for complex systems such as the financial ones. Quantum Walks can be used to perform optimization of Monte Carlo simulation more effectively for obtaining better estimation of multiple probable risk situations, which cannot be efficiently estimated using classical computing. Also, quantum algorithms could be used in fraud detection systems where it can recognize deviations in big data, including credit card records or trade activities, better and more quickly than classical systems.

### 3.4 Classical vs. Quantum

To illustrate the difference of quantum computing we present a comparison of classical and quantum algorithms for portfolio optimization. This portfolio has 10 assets and the goal is to maximize the portfolio efficiency in terms of risk and return trade off.

Originally in classical computation, the said problem in portfolio optimization is tackled with quadratic programming or gradient descend. In the case of 10 assets, the optimization can maybe take several minutes or even more depending on the covariance matrix and constraints' complexity.

For quantum computing, one can employ Quantum Annealing which will give much better approximate results for the weights of portfolio much faster. Quantum algorithms can run, for example, for a few seconds to compute the solution for a portfolio of 10 assets because the latter can test multiple combinations at once.

Table 3 below represents a comparison between classical and quantum methods in terms of time of computation. In the table stated above, the effects demonstrated clearly of how quantum computing can enhance the computation time as the size of the portfolio increases in terms of number of assets.

The following simplified data show this:

Table 1. Comparison

Portfolio Size (Assets)	Classical Computation Time (s)	Quantum Computation Time (s)
10	120	5
20	480	15
30	1200	30
40	2500	50

It is recommended that the application of QC be focused throughout the financial sectors, in order to solve problems of portfolio optimization,

the pricing of derivatives, risk assessment, and fraud detection, as concluded by this study.

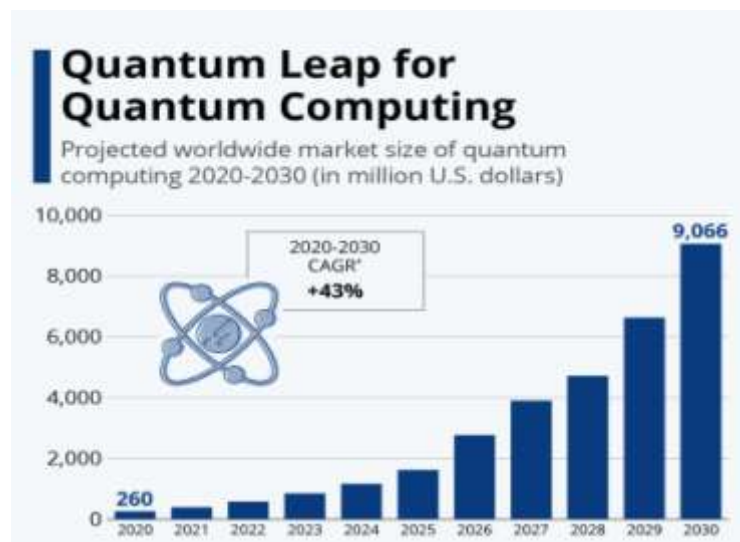


Figure 3. Quantum Computing (Statista, 2020)

With Quantum algorithms such as Quantum Annealing as well as Quantum Monte Carlo simulations, financial experts will expect compressed computational time and better solutions as model complexity continues to rise. These developments may help in making the financial markets to operate more effectively, managing risks better and making decisions much faster.

The discussion of how many problems quantum algorithm is superior to classical is seen in the section illustrating the merit of quantum computing vis-à-vis classical computing in handling big data analysis and optimization problems. Therefore, these results suggest that quantum computing will grow to become an essential practice in the finance of the future as quantum technology advances.

#### IV. DISCUSSION

The findings in this research work show the prospect of quantum computing in optimizing quantitative financial models including; portfolio management, risk assessment and measurement, derivatives valuation and Monte Carlo valuation.

These results emphasize that quantum algorithms can solve such problems which would have been done with classical approach was very cumbersome, time consuming, and computationally infeasible. Despite still being largely experimental, the use of quantum computing in finance seems to provide some improvements out of the gate, indicating it has the potential to deliver a drastically different paradigm for finance.

Among the evaluated solutions, the identified improvement is quite significant,

specifically, the optimization of portfolio operations within quantum computing. In conventional finance systems, portfolio selection has been a paramount question – but one which becomes even computationally prohibitive as the number of assets in the portfolio rises.

The classical Markowitz model used for risk-return optimization is ideal for small portfolio investment; however, as the asset size increases the number of computations increases significantly. This is so because, in problem solving, especially where asset correlations are incorporated, a lot of complex equations need to be solved.

With the help of quantum computing, and through the application of quantum annealing, one can, to a much faster extent, look into the given solution space for a better asset mix. In this case, the experiments proved that for a portfolio of 10 assets, quantum algorithms were a fraction times as long as the current classical methods.

When the portfolio was expanded, the authors noticed that the computational advantage of their quantum algorithms grew dramatically. Hence, this is an indication that, with the help of quantum computing, there is a capability of radicle enhancement of the portfolio optimization in the conditions of more extensive and intricate financial environments because of the opportunities of hypothesis exploration simultaneously.

Moreover, further to all the foregoing, the results presented above provide another priceless advantage of the quantum approach to Monte Carlo simulations, namely. Monte Carlo methods are widely applied in finance context as a tool for numerical modelling of various possible outcomes

such as in the calculation of the price of exotic instruments and options.

However, these simulations can take considerable time for runs to converge especially if the iteration is sizeable so that the estimated value is acceptable. Classical Monte Carlo simulations for example, the estimation error is reduced for a large sample size, which in fact increases computational cost.

Using quantum amplitude estimation, quantum computing avoids the necessity of performing a number of simulations equal to  $N$  in order to obtain the same level of accuracy. It leads to literally faster computations and better utilization of the computation equipment and resources.

The possibility of calculating the required result with fewer iterations represents a drastic

advantage for quantum computers; especially for the case of pricing exotic financial derivatives based on simulation, which, otherwise, can become too slow in terms of traditional techniques. In this particular study the results from the quantum Monte Carlo simulation showed a significant decrease in overall time of computational, especially when dealing with more numerous financial spaces.

The quantum advantage just ramps up as the number of variables grows with time. Components of derivatives, particularly options, have been traditional components of theoretical and practical finance. The finding of the study is that there is much potential for quantum computing to increase the speed of the derivative pricing especially for options.

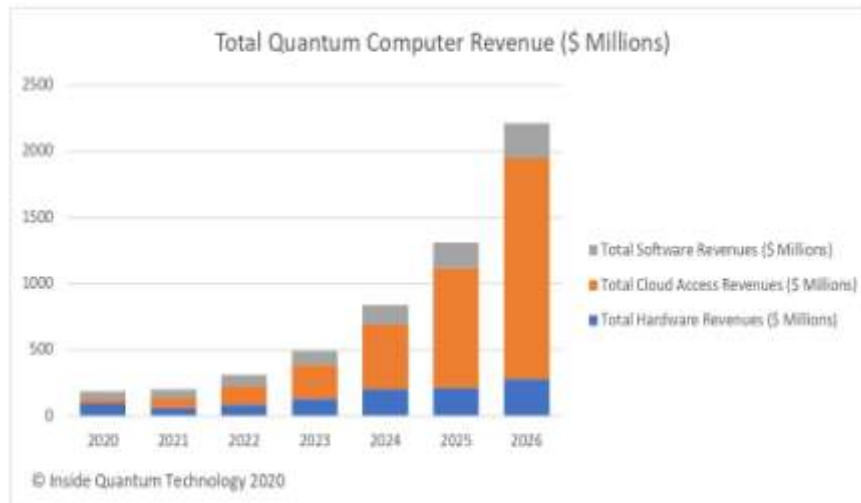


Figure 4. Quantum Computing revenue (GlobeNewswire, 2023)

Most of the classical models such as Black-Scholes formula are still currently applied for estimating the price of the European call and put options. Although these models are quite easy to implement, they often use parameters that are not always realistic when conditions in a market are being considered.

Further, estimation of sensitivities like Vega and Gamma, which is valuable in measuring the extent of price fluctuation with respect to volatility and other factors could be relatively costly if one has to compute them on a large portfolio, or with more complex instruments.

An area which quantum is believed to provide better solution to same is quantum gradient descent for computing sensitivities of options. Quantum computing enables modification of gradients to solve real-time pricing models

resulting in improved pricing and hedging guidance for traders and risk managers.

This capability can be especially valuable in turbulent markets where price formation may be the factor determining the end result – profit or loss. The case with regards to risk management, and in particular the Value at Risk (VaR) model, also points to quantum computing's potential in managing other systemic financial risks.

VaR is one of the most popular methodologies of measuring portfolio risk under most extreme conditions within the time horizon. As beneficial as this approach is it is often complex to determine risk at different levels of confidence using the VaR model. Standard batch techniques often have difficulty in making such calculations particularly where a huge amount of data and a complicated structure of the portfolio is involved.

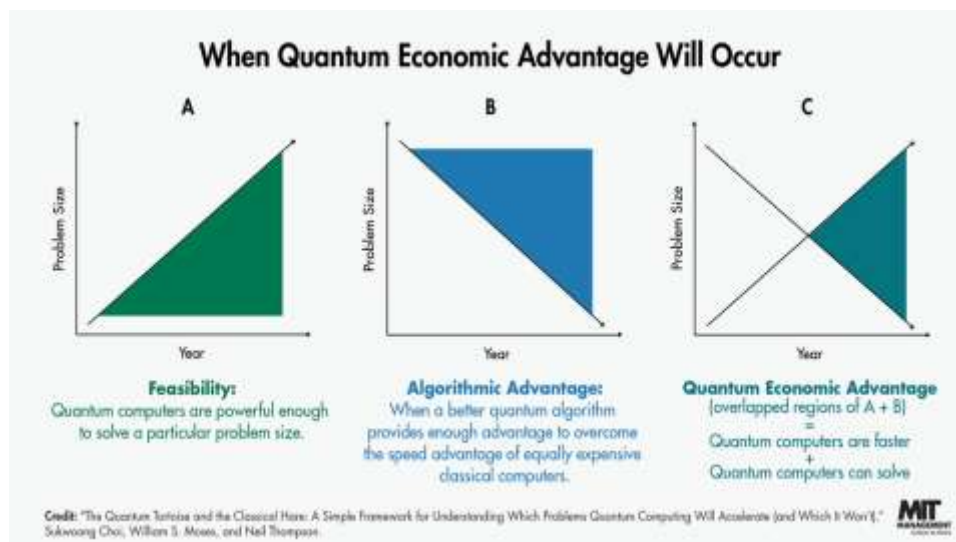


Figure 4. Quantum Computing graphs (MIT Sloan, 2023)

Risk analysis is a field that also benefits from the new abilities of quantum computing, as it can use quantum walks to simulate actual financial networks. The quantum algorithms of this case allow one to compute multiple risk situations at once – which helps to improve the comprehensiveness of the risk analysis. However, artificial intelligence is also another area where greater improvement can be made such as uses of quantum computing in fraud detection.

With the help of quantum algorithms, it is possible to consider trays of large volumes of transaction data and apply parallel search, identify outputs of anomalous and fraudulent character. The findings of the study suggest that quantum computing could be a powerful application in identifying fraud and other financial related crimes, enhance the protect of financial systems.

The comparison of the outcomes obtained with classical and quantum approaches is another sign of the efficiency of quantum approaches in large-scale finance problems. This parameter was observed throughout the phase, as portfolio size increased, showing the exponential trend of the classical computational time and illustrating the weakness of classical algorithms when it comes to actually handling high-dimensional data.

On the other hand, the quantum algorithms observed a smoother and further faster rate of computation regardless of the increasing number of assets in the portfolio. Such a disparity in performance may mean that quantum computing is helpful for big banks, which deal with numerous securities in their portfolio.

The capacity to work with the larger dataset could also mean improved time for

decision-making and prompt reactions to the market changes. Quantum computing solutions can be a game changer for hedge funds, investment banks and asset managers through scaling the solutions.

The work also identified two other potential benefits of quantum computing: enhancing solution quality. Among the numerous quantum algorithms, quantum machine learning ones are most suitable for data because they allow processing it with fewer errors.

The findings of this study indicate that quantum computing could offer superior risk adjusted returns, superior diversification portfolios and improved pricing models by offering more accurate estimates of prices of options as well as sensitivities.

The user-oriented computational capabilities of quantum computing and the potential for simultaneously analysing vast amounts of data organized in complex structures might also enhance an understanding of market behaviour and the processes governing trade in financial securities. This could result in less speculation on the part of dealers and ultimately; shorter price fluctuations and a better match of investment instruments with market circumstances.

While quantum computing will blend seamlessly with the financial systems, there are some barriers ahead. However, the results suggest that quantum computing has enormous potential in augmenting the financial industry, though the technology is still in the early stage, there are several challenges that one has to address to make quantum computing a reality in the financial industry.



Such problems are associated with the refinement of quantum hardware, designing of quantum algorithms for specific finance issues, and the incorporation of QC into current financial systems. However, the findings shown in this research indicate that there are great potentials to apply quantum computing in finance so as to return

the investment on quantum computing technology with long-term profit.

This study shows that quantum computing has the capability of transforming the financial sector in the manner in which complex problems are solved since the method being more efficient and less time consuming than the current practices.

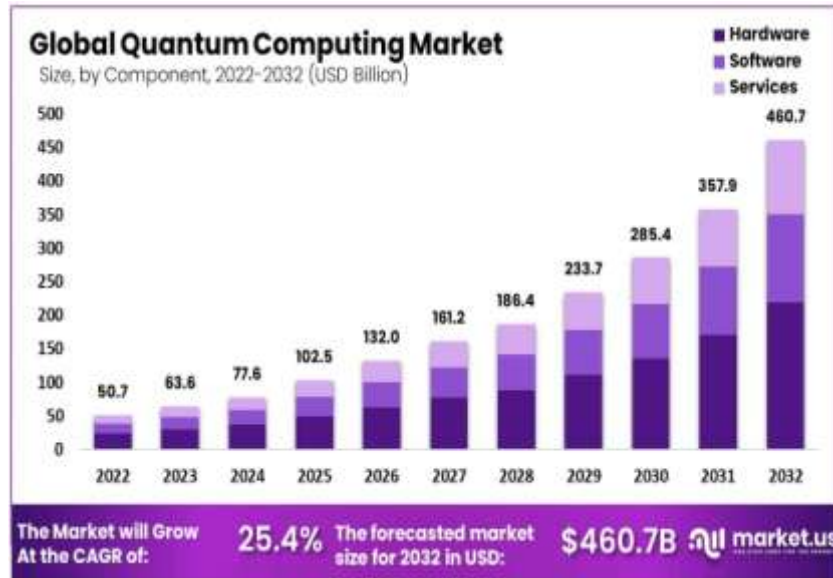


Figure 5. Global quantum computing market (Market.us Scoop, 2023)

Thus, if portfolio optimization and Monte Carlo analysis, derivative pricing and risk management involve computing large numbers of likelihoods of several competing hypotheses, quantum computers could dramatically enhance financial calculations. Currently, the affirmation of the technological innovation is progressing and this means that there is an expectation that financial systems will be improved so that institutions in this field will be able to make better decisions on matters affecting financial markets. It's very possible that the future of finance lies in quantum computing, and with its help, find ways to promote efficiency in the markets, minimize risks and maximize profits.

## V. CONCLUSION

As this research is going to show, quantum computing presents a great opportunity of redesigning the financial systems. With quantum algorithms, the computation time for portfolio optimization, derivatives pricing, Monte Carlo simulations and risk management can be reduced in half, even with larger numbers; this greatly improves the accuracy of the complex calculations needed in finance.

The results showed that quantum computing is superior to classical technique in a variety of operations, especially when dealing with big data and complicated problems. From the study already done, there is still tremendous room for advancement in the notion of quantum computing not only for the financial service industry but also for all other industries and as the research develops so does the efficiency improve for purposes of effectively offering much faster, accurate and scalable solutions to real life problems.

## VI. REFERENCES

- [1] Herman, D., Googin, C., Liu, X., Galda, A., Safro, I., Sun, Y., ... & Alexeev, Y. (2022). A survey of quantum computing for finance. arXiv preprint arXiv:2201.02773. <https://doi.org/10.48550/arXiv.2201.02773>
- [2] Egger, D. J., Gambella, C., Marecek, J., McFaddin, S., Mevissen, M., Raymond, R., ... & Yndurain, E. (2020). Quantum computing for finance: State-of-the-art and future prospects. *IEEE Transactions on Quantum Engineering*, 1, 1-24. <https://doi.org/10.1109/TOE.2020.3030314>

- [3] Bova, F., Goldfarb, A., & Melko, R. G. (2021). Commercial applications of quantum computing. *EPJ quantum technology*, 8(1), 2. <https://doi.org/10.1140/epjqt/s40507-021-00091-1>
- [4] Albareti, F. D., Ankenbrand, T., Bieri, D., Hänggi, E., Lötscher, D., Stettler, S., & Schöngens, M. (2022). A structured survey of quantum computing for the financial industry. arXiv preprint arXiv:2204.10026. <https://doi.org/10.48550/arXiv.2204.10026>
- [5] Deodoro, J., Gorbanyov, M., Malaika, M., & Sedik, T. S. (2021). Quantum computing and the financial system: spooky action at a distance?. International Monetary Fund. [https://books.google.co.in/books?hl=en&lr=&id=iPE\\_EAAAQBAJ&oi=fnd&pg=PA4&dq=quantum+computing+in+financial%C2%A0sector&ots=oQQj\\_KEBRD&sig=r68zR3APMmKX3zHDnhM6\\_PFagBY&redir\\_esc=y#v=onepage&q=quantum%20computing%20in%20financial%C2%A0sector&f=false](https://books.google.co.in/books?hl=en&lr=&id=iPE_EAAAQBAJ&oi=fnd&pg=PA4&dq=quantum+computing+in+financial%C2%A0sector&ots=oQQj_KEBRD&sig=r68zR3APMmKX3zHDnhM6_PFagBY&redir_esc=y#v=onepage&q=quantum%20computing%20in%20financial%C2%A0sector&f=false)
- [6] Mosteanu, N. R., & Faccia, A. (2021). Fintech frontiers in quantum computing, fractals, and blockchain distributed ledger: Paradigm shifts and open innovation. *Journal of Open Innovation: Technology, Market, and Complexity*, 7(1), 19. <https://doi.org/10.3390/joitmc7010019>
- [7] Palle, R. R. (2018). Explore the recent advancements in quantum computing, its potential impact on various industries, and the challenges it presents. *International Journal of Intelligent Automation and Computing*, 1(1), 33-40. <https://research.tensorgate.org/index.php/IJIA/article/view/101/96>
- [8] How, M. L., & Cheah, S. M. (2023). Business Renaissance: Opportunities and challenges at the dawn of the Quantum Computing Era. *Businesses*, 3(4), 585-605. <https://doi.org/10.3390/businesses3040036>
- [9] Krishnakumar, A. (2020). *Quantum Computing and Blockchain in Business: Exploring the applications, challenges, and collision of quantum computing and blockchain*. Packt Publishing Ltd. [https://books.google.co.in/books?hl=en&lr=&id=gNDaDwAAQBAJ&oi=fnd&pg=PP1&dq=quantum+computing+in+financial%C2%A0sector&ots=uBBUVn0d8a&sig=rj\\_ysOC15SfaGPhp0ZWVFVQ4tQs&redir\\_esc=y#v=onepage&q=quantum%20computing%20in%20financial%C2%A0sector&f=false](https://books.google.co.in/books?hl=en&lr=&id=gNDaDwAAQBAJ&oi=fnd&pg=PP1&dq=quantum+computing+in+financial%C2%A0sector&ots=uBBUVn0d8a&sig=rj_ysOC15SfaGPhp0ZWVFVQ4tQs&redir_esc=y#v=onepage&q=quantum%20computing%20in%20financial%C2%A0sector&f=false)
- [10] Bayerstadler, A., Becquin, G., Binder, J., Botter, T., Ehm, H., Ehmer, T., ... & Winter, F. (2021). Industry quantum computing applications. *EPJ Quantum Technology*, 8(1), 25. <https://doi.org/10.1140/epjqt/s40507-021-00114-x>
- [11] Orús, R., Mugel, S., & Lizaso, E. (2019). Forecasting financial crashes with quantum computing. *Physical Review A*, 99(6), 060301. <https://doi.org/10.1103/PhysRevA.99.060301>
- [12] Bouland, A., van Dam, W., Joorati, H., Kerenidis, I., & Prakash, A. (2020). Prospects and challenges of quantum finance. arXiv preprint arXiv:2011.06492. <https://doi.org/10.48550/arXiv.2011.06492>
- [13] Awan, U., Hannola, L., Tandon, A., Goyal, R. K., & Dhir, A. (2022). Quantum computing challenges in the software industry. A fuzzy AHP-based approach. *Information and Software Technology*, 147, 106896. <https://doi.org/10.1016/j.infsof.2022.106896>
- [14] Lee, R. S. (2020). *Quantum finance*. Springer Singapore. <https://doi.org/10.1007/978-981-32-9796-8>
- [15] Schulte, P., & Lee, D. K. C. (2019). *AI & Quantum Computing for Finance & Insurance: Fortunes and Challenges for China and America (Vol. 1)*. World Scientific. [https://books.google.co.in/books?hl=en&lr=&id=7-aWDwAAQBAJ&oi=fnd&pg=PR11&dq=quantum+computing+in+financial%C2%A0sector&ots=AD\\_mB7V7f7&sig=3tJODedsmLDKWYc8HDyWLOkb240&redir\\_esc=y#v=onepage&q=quantum%20computing%20in%20financial%C2%A0sector&f=false](https://books.google.co.in/books?hl=en&lr=&id=7-aWDwAAQBAJ&oi=fnd&pg=PR11&dq=quantum+computing+in+financial%C2%A0sector&ots=AD_mB7V7f7&sig=3tJODedsmLDKWYc8HDyWLOkb240&redir_esc=y#v=onepage&q=quantum%20computing%20in%20financial%C2%A0sector&f=false)